DIAGNOSTYKA 2016, Vol. 17, No. 4

ANALYSIS OF CHATTERING PHENOMENON IN INDUSTRIAL S6-HIGH ROLLING MILL. PART II: EXPERIMENTAL STUDY

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Abstract
The paper represents an extension of a previous work where the problem of chatter in a rolling mill producing advanced high-strength steels (AHSS) was investigated by a combination of a linear lumped parameter model and the slab analysis. In this paper the authors show the detailed experimental study of the problem with a complete description of all the phases related to the vibrational investigation that lead to the solution of the problem. Furthermore, a different model based on the Orowan’s method together with a non-linear model of the rolling mill is presented and simulations are performed.

Key words: chatter, vibration analysis, AHSS, Orowan’s method, rolling mill

INTRODUCTION

Chatter vibrations represent one of the main problems of rolling mills. These vibrations are the result of the interaction between rolling mill structure and rolling-process [5-10].

This paper represents an improvement of the paper [19], where further vibrational analyses are performed with the aim to detect and avoid the insurgence of chatter. Its manifestation is recognisable from the classical regular, parallel markings across the width of the metal strips, called “chatter marks” [11], [13-17], [22-24]. The studied S6-high rolling mill produces AHSS and it is suitable to realise high reductions of strips (up to 1:12) in one pass [8]. In a traditional production cycle, the hot rolled strip is annealed and pickled before to be rolled and finally again annealed and pickled [25]. Therefore, each of these phases involves the movement of material with the use of overhead cranes and special trolleys. Instead, the production system investigated in this paper is able to produce roll steel strips coming directly from hot rolling mill trains: the strip is ready for further reductions in thickness or for the market. Since the interactions between the process and the structure is nonlinear, a more complex model is established with respect to the previous paper [19]: the deformation of the metal strip roll bite is considered inhomogeneous and treated according to the Orowan’s method [12][24].

A non-linear different lumped parameters model is proposed and simulations are performed. In addition, a detailed vibration analysis is performed.

1. CHATTER MARKS AND VIBRATION ANALYSIS

As it is showed in [19] the studied S6-High rolling mill consists of two subsequent stands each of them made up of six rolls and having four cassettes with four side support rolls (SSRs) arranged inside (Fig. 1).

Fig. 1. Sketch and transversal section of side support roll [14]

The studied plant, suffered chatter vibrations and at the moment of replacement of the SSR cassettes, an abnormal and unexpected deterioration of the SSR cylinder appeared, together with chatter marks on the metal strip. The chatter marks followed a periodic trend during rolling campaigns, with the SSR replacement. This problem has led to replace the rolls in advance (after about 150 km) with respect to the time period suggested by the manufacturer (after 500 km).

The fig. 2 shows the marks on changed work rolls. The chatter marks on the metal strip had a frequency of 130 Hz (2 marks per cm at 40 m/min rolling speed). In this first section of the paper a
detailed analysis of the vibration is showed according to standard ISO normative [3] and involving the following systems:
- rolls grinding machine;
- gear-box system;
- the second stand.

1.1. Rolls grinding machine

As an inadequate grinding of the rolls involved in the process can be the cause of strip defects, roll inspections and form checks were accomplished and also vibration analyses of the grinding machine were performed during the roughing and finishing operations.

The measurement points on the grinding machine are shown in fig. 3.

Figure 4 explains the vibrational behaviour by comparing the velocities (RMS [mm/s]) and the accelerations with the values of the ISO 10816 – 3/09. The detailed analysis showed a frequency of 300 Hz, attributable to electrical phenomena. In fact, two rectifiers generate voltage harmonics that are multiple of 6. The frequency of 300 Hz represents the product of the line frequency (50 Hz) multiplied by 6 (3 phases multiplied by 2). It was recognised the absence of problems in the analysed working conditions (roughing and finishing). Thus, the cause of marks was not identified in the grinding machine.

1.2. Gear box

During the rolling operations, measurements were performed radially on the gear boxes.

Figure 5 shows the accelerometer positions according to the ISO 10810 – 3/09 and Figure 6 shows the velocities and accelerations measured on the gear boxes (for first and second stand) compared with the threshold values:
- the first gearbox has an acceptable vibrational behaviour: there are not critical conditions in the motor and the gearbox;
- the second gearbox has a good vibrational behaviour: the detailed analysis shows a frequency component at 108 Hz, due to tooth mesh frequency.

Thus, the results of the measurements show that the gearbox systems are not included among the causes of chatter marks.

1.3. The second stand

Since the second stand is exposed to greater loads, the analysis of the vibrations in the stands was performed only on the second one, as described in the previous paper [19]. In fact, the second stand rolls the strip already rolled by the first one, so that the material is hardened and less malleable. Furthermore, the defects created by the first stand during the rolling process are erased and overwritten completely.

For this reason, the possible origin of self-excited vibrations was identified on the second stand system. Figure 7 shows the accelerometers location on the second stand in correspondence of the housings of IMRs.

Figures 8 and 9 show the measures in the main points and for different values of the rolling speed (Figure 8 with a rolling mill speed equal to 40 m/min and Figure 9 for a rolling mill speed equal to 80 m/min). In particular, the violet histograms regard the measures before the substitution of the cassettes and the blue ones regard the measures obtained after the substitution of the cassettes. One can see that the behaviour of the stand at 40 m/min has a relevant improvement with the change of the side support rolls in the cassettes. The vibration levels are greatly reduced, also for a rolling speed of 80 m/min, where the improvement is more evident. Thus, considering the results of the measurements, the criticality of the case study was found inside the stands. The frequency analysis of the stand showed the presence of a peak before the replacement of the SSR cassettes proportional to the rolling speed, as showed in [17-20].
Fig. 4. Velocity and the accelerations measuring on grinding machine vs ISO value

Fig. 5. Accelerometers positions on motor and gearbox

Fig. 6. Velocity and the accelerations measures on gear box vs ISO value

2. NUMERICAL MODEL WITH OROWAN

In the rolling mill plants, it is fundamental to study the behaviour of the deformation process, in order to assess the main process variables (for instance the rolling force) in all operating conditions [1]. The studied rolling mill with 6 rolls and 4 side support rolls in the cassettes was modelled with a lumped parameter model with 10 dofs. The stiffness and the damping of the mass frame connection, $K_s$, the stiffness of the spring in the cassettes. Then, the stiffness of the spring $K_{BI}$, $K_{IW}$ and $K_{WS}$ describing the contact rolls are defined according to the Hertz theory [4], [2] as follows:

$$K_{WS} = \frac{dF}{d\delta W}$$

$$K_{BI} = \frac{dF}{d\delta BI}$$

$$K_{IW} = \frac{dF}{d\delta IW}$$

and $C_s$ represent the stiffness and the damping of the mass frame connection, $K_s$ the stiffness of the spring.
where $F$ is the applied force and $\delta_{ij}$ is the generic displacement between the centres of the rolls in contact, depending on the elasticity modulus, on the Poisson’s ratio and on the geometry of each contacting rolls.

$$\delta_y = \frac{F}{E_y \pi} \left[ 2 + \ln \left( \frac{2D_y}{b} \right) + \ln \left( \frac{2D_x}{b} \right) \right]$$  (2)

$$\frac{1}{E_y} = \left( 1 - \nu_i^2 \right) + \left( 1 - \nu_j^2 \right)$$  (3)

$$b = c \left( \frac{2D_x + D_y}{E_y} \right)^{1/2}$$  (4)

The parameter $c$ value is equal to 1.60 or 2.15 depending if rolls have different or similar elasticity properties. The relationship between stiffness and load $F$ is not linear; the exerted sheet force and the work roll displacement can be decomposed into the steady and dynamic parts:

$F = F(d) + F(s)$

$y_1 = y_1(d) + y_1(s)$

The overall dynamical response of the work roll is therefore highly dependent upon the nature and also the characteristics of the sheet force. Thus, the stiffness can be linearized without considering the dynamic term of the sheet force. In addition, the real position between the SSR and the WR should be noted.

In Figure 10 the equilibrium position and the generic configuration of SSR and WR have been represented, where the point A is the SSR centre, the point B is the WR centre and Rw is the WR radius.

The origin of $y_1$ and $x_1$ axes is the point B in equilibrium position. The elastic force can be expressed by:

$$F_E = K_{WS} X_1 \sin \theta_0 / \sin \theta$$  (5)

Fig. 10. Equilibrium position and generic configuration [20]

The OA segment is the displacement of the SSR cylinder, that can be defined considering the distance between the rolls centres:

$$X_1 = x_1 + R_w + R_{SSR}$$  (6)

Hypothesizing small displacements, the relationship will be linearized, so:

$$F_E = K_{WS} X_1$$  (7)

Firstly, a model having ten degrees of freedom where the masses are reduced to the ten rolls involved in the process can be considered. To simplify the problem, the stand was assumed symmetrical to the rolled strip and symmetrical to the vertical axis of the stand so that the ten degrees of freedom model was reduced to the simplest system with two degrees of freedom. The rolling force $F_{roll}$ acting between the strip and the working roll can be evaluated as a function of $y_1$.[7]

According to the Orowan’s method and assuming inhomogeneous deformations, the rolled strip is divided, in the rolling direction, into segments of material constituted by a portion of material between two cylindrical surfaces $A$ (Fig. 11). The rolling pressure distribution $p$ has different expressions inside the plastic deformation region [5-10]. In the slip and in the stick zones the relationships taken from Orowan's inhomogeneous theory are respectively:

$$p = \frac{F}{h(y_1)} + \sigma \left[ \omega(\phi, l) \left( \frac{1}{\phi^2} - 1 \right) \right]$$  (8)

$$p = \left[ \frac{F}{h(y_1)} + \sigma \omega \left( 1 + \mu \frac{1}{\phi \tan \phi} \right) \right]$$  (9)

where $\sigma$ is the yield stress of the material subjected to homogeneous compression, $\mu$ is the coefficient of friction, the function $w$ is nonlinear and takes into account the inhomogeneity of plastic deformations inside the bite zone, according to:

$$\omega(\phi, l) = \frac{1}{\sin \phi} \sqrt{1 - a^2 \left( \frac{\phi^2}{\phi^2} \right) \cos \phi d \phi}$$  (10)

and $F$ is the roll tension per unit width of the strip.

$$\frac{dF}{d\phi} = 2R_w \cos \phi (\tan \phi \pm \mu)$$  (11)

Fig. 11. Inhomogenous theory by Orowan [20]

The rolling force $F_{roll}$ can be expressed through the integral formulas, where $\theta_{out}$ and $\theta_{in}$ represent respectively the angles to the exit and the entry section of the roll bite. The disturbances and the variations of the strip thickness due to roll vibration generate the dynamic component of the rolling force. This dynamic component deflects the structure of the stand leading to variations in the roll gap, $y_1$, which in turn results in further variations in the rolling force. Under certain conditions, however, this interaction between the structure and the process leads to dynamic instability.

$$F_{roll} = \int_{\theta_{in}}^{\theta_{out}} p d \theta$$  (12)
The proposed model was solved with the FRF linearized equation as presented in [19-21] and the chatter was reduced with the change of the spring stiffness in the cassettes. In this paper simulations of the roll gap versus time are presented for different values of stiffness: in fig. 12 with \( k = 269 \text{ N/mm} \) and in fig. 13 with \( k = 485 \text{ N/mm} \) and a force at a frequency of 125 Hz. One can see that the oscillation of the roll gap is damped with \( k = 485 \text{ N/mm} \). This result confirms what is proposed in [19].

**Fig. 12. Roll gap with \( k = 269 \text{ N/mm} \)**

**Fig. 13. Roll gap with \( k = 485 \text{ N/mm} \)**

### 3. CONCLUSIONS

A chatter solution in a S6-high rolling mill was presented in [19] based on a simplified model. In this second paper a more comprehensive analysis was presented to detect the phenomena, taking into account all the steps that have been identified as causes of chatter in the cassette. In particular the vibrations analysis was completed by subsystem measurements, the velocity and acceleration values are compared with the ISO reference values. Moreover, a non-linear model based on the Orowan's method was presented and simulations were performed.

### ACKNOWLEDGEMENTS

The authors wish to thank the competent consultant team of A.S.T. and in particular the engineers S. Cervo and A. Petrucci, for the careful supervision and the experimental data.

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Received 2016-07-29
Accepted 2016-10-14
Available online 2016-11-21